LEARNING /	ACTIVITY	SHEET
------------	----------	-------

Activity1: Choose Me Wisely! Directions: Write the letter of the best answer on the blank provided before each number. 	Name:		Date:	Rating/Score:
 1. Which of the following statements determines that two triangles are similar? If three angles of one triangle are congruent to three corresponding angles of another triangle, then the triangles are similar. If the measures of two sides of a triangle are proportional to the measures of two corresponding of another triangle and the included angles are congruent, then the triangles are similar. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. If the measures of the corresponding sides are proportional. If the teololowing statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ <i>AEB and ΔCED</i> similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 C. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. Che ≤ 25 and 21 ≅ 23 5. Are the following two triangles similar? A. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	Activity1: Choose Me Wise	ly!		
 If three angles of one triangle are congruent to three corresponding angles of another triangle, then the triangles are similar. II. If the measures of two sides of a triangle are proportional to the measures of two corresponding of another triangle and the included angles are congruent, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ<i>AEB and</i> Δ<i>CED</i> similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they are triangles. 	Directions: Write the letter o	of the best answer or	n the blank provided be	efore each number.
triangle, then the triangles are similar. II. If the measures of two sides of a triangle are proportional to the measures of two corresponding of another triangle and the included angles are congruent, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding angles are equal in measure. D. All of these statements describe similar triangles. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make ΔAEB and ΔCED similar? A. $\angle 3 \cong \angle 1$ and $\angle 4 \cong \angle 2$ B. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 6$ and $\angle 6$ and $\angle 6 \cong 6$ C. No, they are not similar.	1. Which of the following	g statements determ	ines that two triangles	are similar?
 II. If the measures of two sides of a triangle are proportional to the measures of two corresponding of another triangle and the included angles are congruent, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding sides are proportional. C. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ<i>AEB and</i> Δ<i>CED</i> similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 B. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 S. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	.	5	•	ponding angles of another
corresponding of another triangle and the included angles are congruent, then the triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make ΔAEB and ΔCED similar? A. $\angle 3 \cong \angle 1$ and $\angle 4 \cong \angle 2$ B. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 3$ 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar.	U ·	0		the measures of two
triangles are similar. III. If the measures of the corresponding sides of two triangles are proportional, then the triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding sides are proportional. C. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make ΔAEB and ΔCED similar? A. $Z3 \cong \angle 1$ and $\angle 4 \cong \angle 2$ B. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 3$ 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they are triangles. C. No, they are not similar.			• • •	
triangles are similar. A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding aigles are proportional. C. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make $\triangle AEB$ and $\triangle CED$ similar? A. $\angle 3 \cong \angle 1$ and $\angle 4 \cong \angle 2$ B. $\angle 6 \cong \angle 5$ and $\angle 4 \cong \angle 2$ C. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 3$ 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar.	triangles are simi	lar.		
A. I and II only B. I, II, III C. II and III only D. I and III 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding sides are proportional. C. Their corresponding angles are equal in measure. D. All of these statements describe similar triangles. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make $\triangle AEB$ and $\triangle CED$ similar? A. $\angle 3 \cong \angle 1$ and $\angle 4 \cong \angle 2$ B. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong \angle 5$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong 25$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong 25$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong 25$ and $\angle 1 \cong \angle 4$ D. $\angle 6 \cong 25$ and $\angle 1 \cong \angle 3$ 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar.			sides of two triangles	are proportional, then the
 2. Which of the following statements describe similar triangles? A. They have the same shape, but may not be the same size. B. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ<i>AEB and</i> Δ<i>CED</i> similar? A. 23 ≅ ∠1 and ∠4 ≅ ∠2 B. 26 ≅ ∠5 and ∠1 ≅ ∠3 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	0			
 A. They have the same shape, but may not be the same size. B. Their corresponding sides are proportional. C. Their corresponding angles are equal in measure. D. All of these statements describe similar triangle. 3. According to the AA similarity postulate, two triangles are similar if they have how many corresponding angles with equal measure? A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ<i>AEB and</i> Δ<i>CED</i> similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 B. ∠6 ≅ ∠5 and ∠1 ≅ ∠3 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	A. Tand II only	D. I, II, III	C. If and in only	D. Fand III
 A. Four B. Three C. Two D. One 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make ΔAEB and ΔCED similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 B. ∠6 ≅ ∠5 and ∠4 ≅ ∠2 C. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠3 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	C. Their correspondin D. All of these statem 3. According to the AA s	ng angles are equal nents describe simila similarity postulate, t	<mark>in measure.</mark> ar triangle. wo triangles are simila	r if they have how many
 4. In the figure, AB is parallel to CD, BD and AC are transversals. What are the two pairs of corresponding angles that are congruent to make Δ<i>AEB and</i> Δ<i>CED</i> similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 B. ∠6 ≅ ∠5 and ∠4 ≅ ∠2 C. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠3 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 				D One
 corresponding angles that are congruent to make ΔAEB and ΔCED similar? A. ∠3 ≅ ∠1 and ∠4 ≅ ∠2 B. ∠6 ≅ ∠5 and ∠4 ≅ ∠2 C. ∠6 ≅ ∠5 and ∠1 ≅ ∠4 D. ∠6 ≅ ∠5 and ∠1 ≅ ∠3 5. Are the following two triangles similar? A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 		Brinnee		
 A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	corresponding angles A. $\angle 3 \cong \angle 1$ and $\angle 4 \cong$ B. $\angle 6 \cong \angle 5$ and $\angle 4 \cong$ C. $\angle 6 \cong \angle 5$ and $\angle 1 \cong$	s that are congruent ∉ ∠2 ∉ ∠2 ∉ ∠4	to make $\triangle AEB$ and $\triangle C$	CED similar?
 A. Yes, they are similar, because they are triangles. B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	5 Are the following two	triangles similar?	3	4
 B. Yes, they are similar, because they have one set of corresponding angles of equal measure. C. No, they are not similar. 	-	-	e triangles.	C
	 B. Yes, they are simi corresponding and 	ilar, because they ha gles of equal measu	ave one set of	150°
	· · · · · ·		if they are similar.	
		,	-,	

Target Competency: Proves the conditions for similarity of triangles (M9GE-IIIg-h-39), applies the theorems to show that given triangles are similar (M9GE-IIIj-40), proves the Pythagorean theorem (M9GE-IIIj-41), and solve problems that involve triangle similarity and right triangle{M9GE-IIIJ42).

Note to the Teacher: This LAS was created by the writer in order to develop the students' comprehension and understanding about solving problems involving triangle similarities and right triangles. Reference: Learners' Material, pages 361-387.

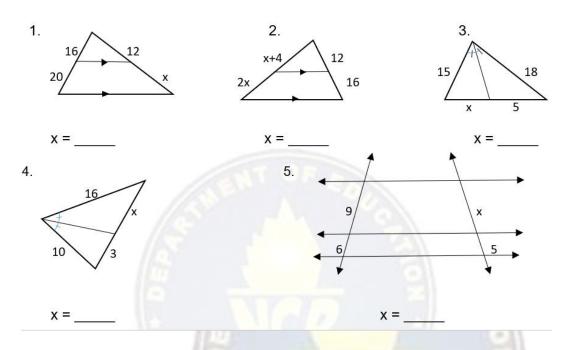
	$d \angle 7 \cong \angle 5$ $d \angle 7 \cong \angle 6$		DE. B
$_$ 7. Based on the fi A. Δ <i>CBA</i> ~ Δ <i>D</i>	-	lowing is the correct	t triangle similarity statement?
B. $\triangle ABC \sim \triangle EB$	7D		
C. $\Delta BAC \sim \Delta FI$			
D. $\Delta CAB \sim \Delta D$	FE		
	statement: If a line pa those sides p		le of a triangle intersects the other two
A. adds	B. subtracts	C. multiplies	D. divides
	165		5
			of a triangle, then it divides the
••	nto segments		
A. equal	B. congruent	C. parallel	D. proportional
10 In the figure b	elow, $\Delta ABE \sim \Delta CDF$.	What is the measu	re of ZE?
10: In the light b A. 80∘			F
B. 70∘			E A
C. 60∘			
D. 50		2 1 1 1	
		40°	60°
		A	B C D

Activity 2: What's My Value?

Specific Week: Week 7and 8

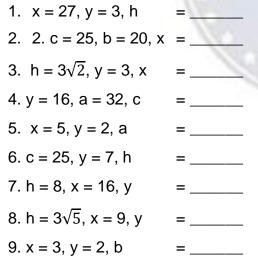
Target Competency: Proves the conditions for similarity of triangles (M9GE-IIIg-h-39), applies the theorems to show that given triangles are similar (M9GE-IIIj-40), proves the Pythagorean Theorem(M9GE-IIIj-41) and solve problems that involve triangle similarity and right triangle (M9GE-IIIj-42). **Note to the Teacher:** This LAS was created by the writer in order to develop the students' comprehension and understanding about solving problems involving triangle similarities and right triangles.

Directions: Use an extra sheet of pad paper to solve for x then write its value on the blank provided below each figure.

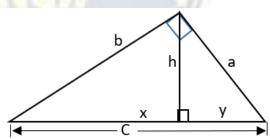


Activity 3: Intensify Your Understanding!

Directions: Refer to the diagram, then find the indicated lengths. Write your answer on the blank provided after each unknown variable.



10. x = 4, y = 5, a =

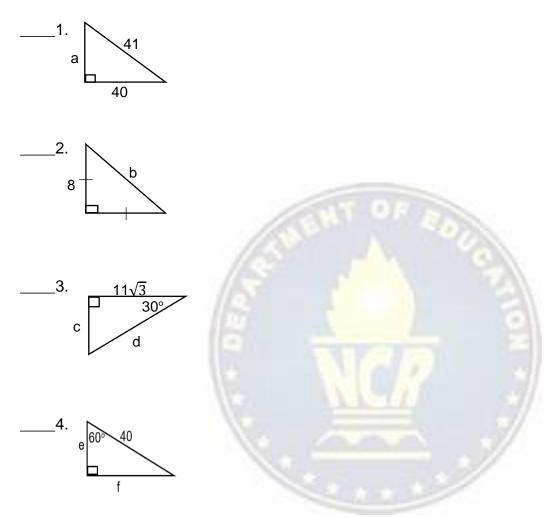


Specific Week: Week 7 and 8

Target Competency: Proves the conditions for similarity of triangles (M9GE-IIIg-h-39), applies the theorems to show that given triangles are similar (M9GE-IIIj-40), proves the Pythagorean Theorem(M9GE-IIIj-41) and solve problems that involve triangle similarity and right triangle (M9GE-IIIj-42). **Note to the Teacher:** This LAS was created by the writer in order to develop the students' comprehension and understanding about solving problems involving triangle similarities and right triangles.

Activity 4: Dig Deeper!

Find the missing length. Write your answer on the blank before each number.



Specific Week: Week 7and 8

Target Competency: Proves the conditions for similarity of triangles (M9GE-IIIg-h-39), applies the theorems to show that given triangles are similar (M9GE-IIIj-40), proves the Pythagorean Theorem(M9GE-IIIj-41) and solve problems that involve triangle similarity and right triangle (M9GE-IIIj-42). **Note to the Teacher:** This LAS was created by the writer in order to develop the students' comprehension and understanding about solving problems involving triangle similarities and right triangles.

LEARNING ACTIVITY SHEET

ANSWER KEY:

ACTIVITY 1	ACTIVITY 2	ACTIVITY 3	ACTIVITY 4
1. B	1. x = 15	1. 9	1. a = 9
2. D	2. x = 8	2. 16 3. 6	2. b = $8\sqrt{2}$
3. C	3. x = $\frac{25}{6}$	4. 64	3. c = 11 d = 22
4. C	4. x = $\frac{24}{5}$	5. $\sqrt{14}$ 6. $2\sqrt{14}$	4. e = 20
5. D		7. 4 8. 5	$f = 20\sqrt{3}$
6. B	5. x = $\frac{15}{2}$	8. 3 9. $\sqrt{15}$	
7. C	1	10. 3√5	- 0
8. D	10		3
9. D	15		
10. A	la la		0

Specific Week: Week 7and 8

Target Competency: Proves the conditions for similarity of triangles (M9GE-IIIg-h-39), applies the theorems to show that given triangles are similar (M9GE-IIIj-40), proves the Pythagorean Theorem(M9GE-IIIj-41) and solve problems that involve triangle similarity and right triangle (M9GE-IIIj-42). **Note to the Teacher:** This LAS was created by the writer in order to develop the students' comprehension and understanding about solving problems involving triangle similarities and right triangles.